



Shear viscosity of refrigerants

Experiments - Modelling

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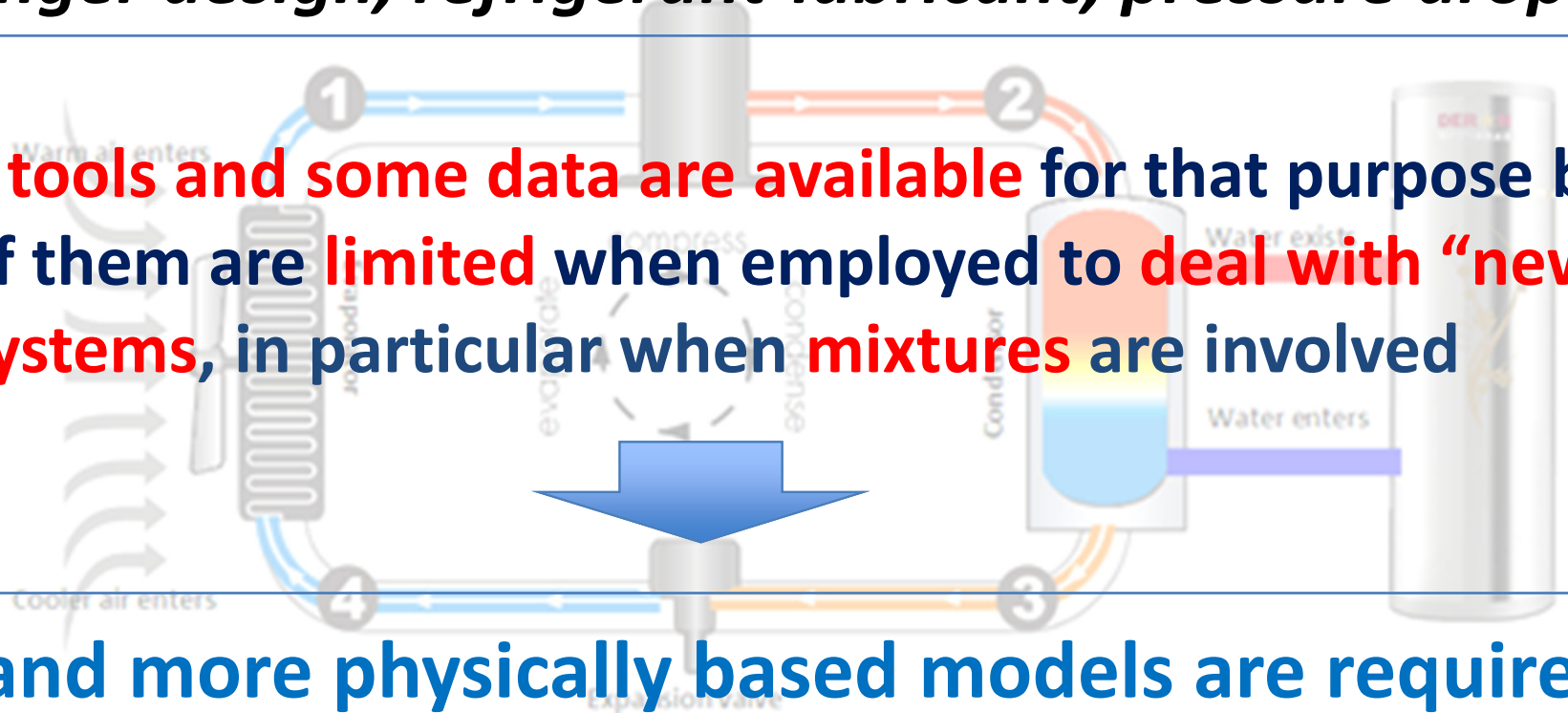
CONTEXT AND ISSUES



Accurate **thermophysical properties** of refrigerants are crucial for the design of **cold production** systems

***Shear viscosity** is one of these required quantities :
Exchanger design, refrigerant-lubricant, pressure drop ...*

Various tools and some data are available for that purpose but most of them are **limited** when employed to deal with **“new” systems**, in particular when **mixtures** are involved



Data and more physically based models are required

« MEASURING » SHEAR VISCOSITY

Two (shear) “viscosities” (+ one bulk):

- ✓ Dynamic viscosity ($\mu = \tau / \dot{\gamma}$) in Pa.s
- ✓ Kinematic viscosity ($\nu = \mu / \rho$) in m²/s

EXPERIMENTAL METHODOLOGY

Rotational Type

Cone and plate
Rot. Cylinder

...

Tube Type

Capillary
Falling body

...

Wave Type

Vibrating wire
QCM

...

**Rheological
behavior**

**Most used
methods**

**Absolute
viscosity**



Ubbelodhe capillary viscometer (P_{atm})



Poiseuille law
+ Pressure gradient
+ Calibration (k)

$$v(0.1, T) = k * \Delta t$$

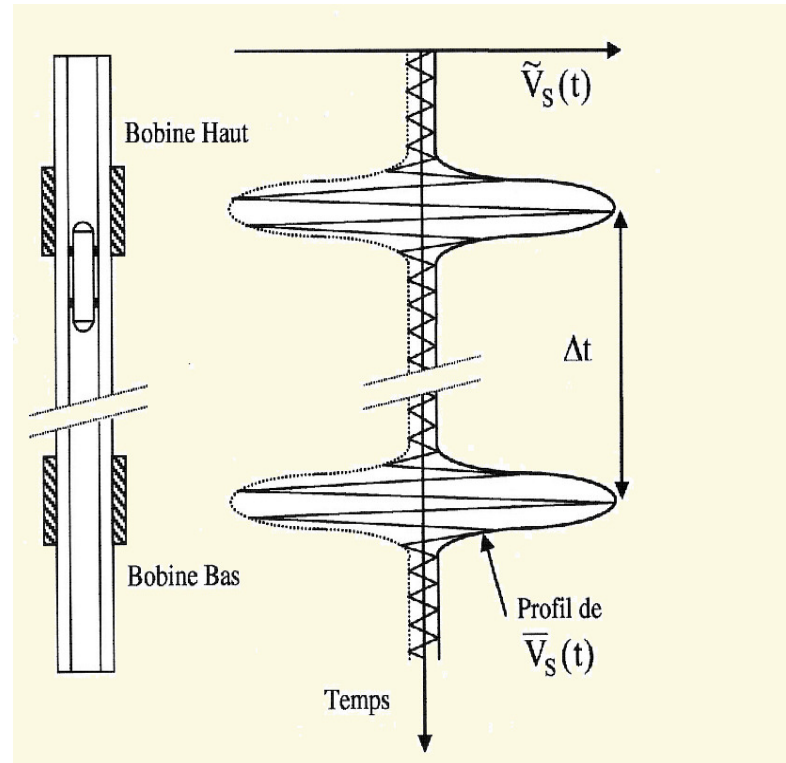
Anton Paar densimeter

$$\mu = \frac{v}{\rho}$$

0.2 to 30 000 mm²/s
 μ dev. +/- 1%

Similar methods under pressure are available

Falling body viscometer (1 - 2000 bars)



*Applicable to
liquids, gas, live
oils ...*

**Stokes law
+ Calibration (K)**



0.3 to 500 mPa.s

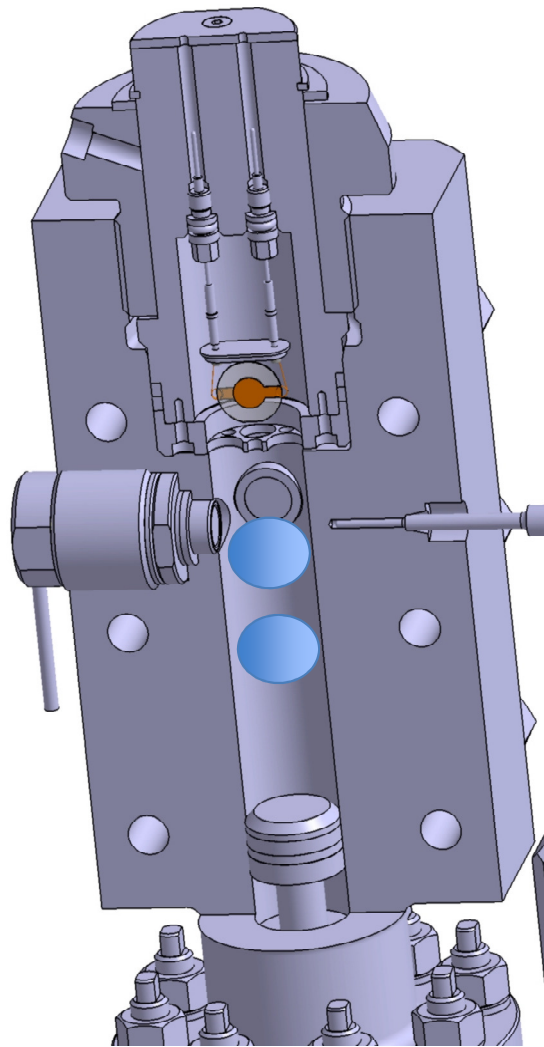
μ dev. +/- 3%

$$\mu(T, P) = K(P, T) (\rho_{solid} - \rho_{fluid}) \Delta t$$

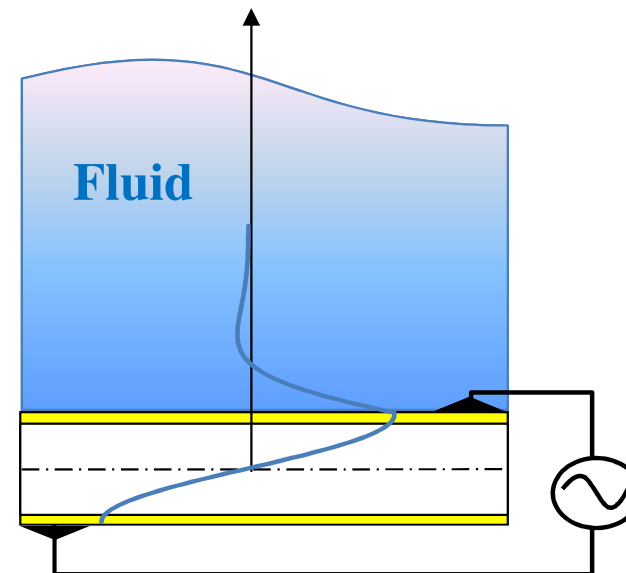
+ Anton Paar densimeter

Boned and co-workers

Quartz Crystal Resonator (1 - 2000 bars)

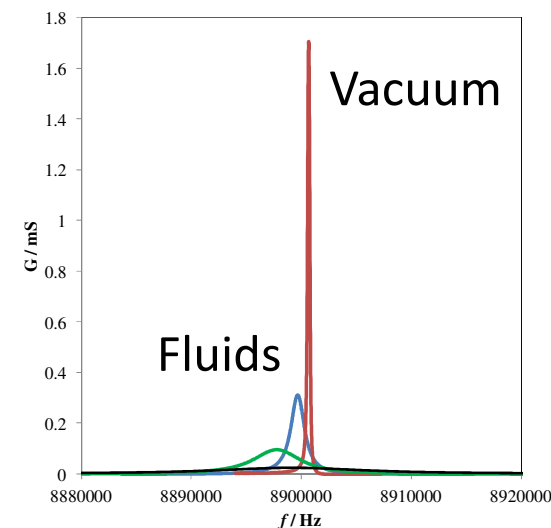


Piezo-sensor

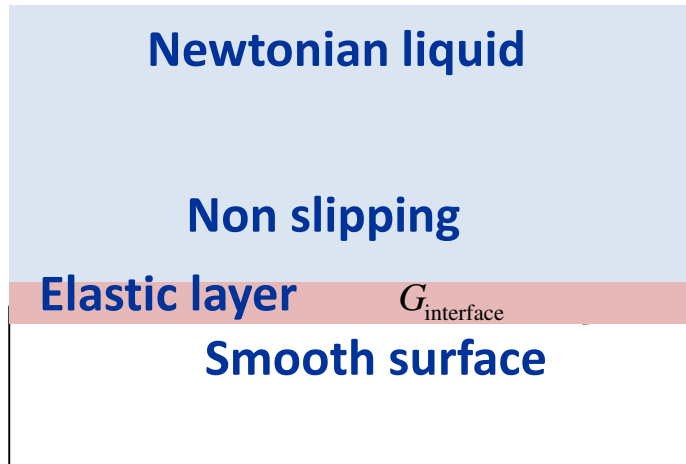


Viscosity affects:
Resonant frequency
Amplitude of the resonance

$$\Delta \tilde{f}_n = \Delta f_n + i \Delta \Gamma_n$$



Quartz Crystal Resonator (1 - 2000 bars)



$\Leftrightarrow h_{interface}$

$$\frac{\Delta f_{fluid}}{\sqrt{n}} = -4\sqrt{n} \frac{f_0^2}{\sqrt{\rho_q \mu_q}} \rho h_{interface} - 2 \frac{f_0^{3/2}}{\sqrt{\pi \rho_q \mu_q}} \sqrt{\rho \eta_{fluid}}$$

$$\frac{\Delta \Gamma_{fluid}}{\sqrt{n}} = 2 \frac{f_0^{3/2}}{\sqrt{\pi \rho_q \mu_q}} \sqrt{\rho \eta_{fluid}} (1 + R_{interface}) = c$$

Dev <2% up to 100 MPa
Dev <4% 100 -200 MPa

QCR allows measuring viscosity by two methods

- ✓ Resonance frequency : absolute but sensitive to pressure
- ✓ Dissipation : relative

Daridon and co-workers

Be careful with “ref.” data (even NIST)

Not that much accurate viscosity data in particular on mixtures and “new” products

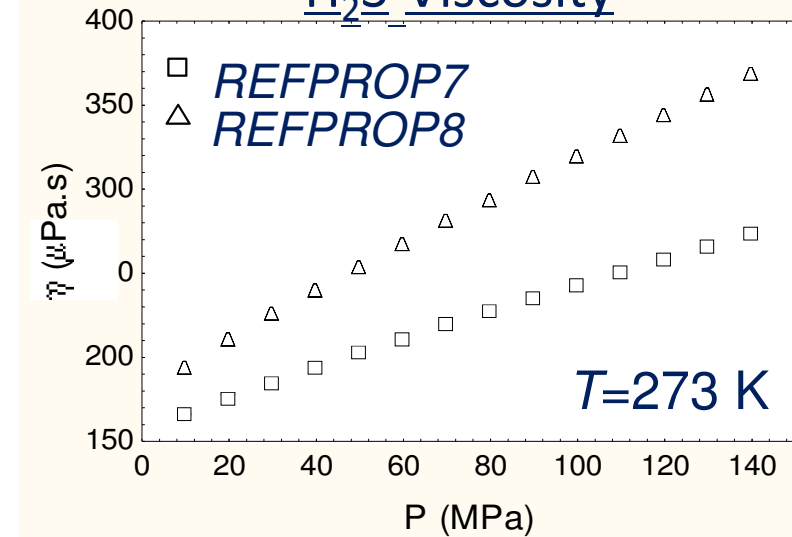
E.g. HFO: R1234yf (<10),
R1234ze(E)(<5)



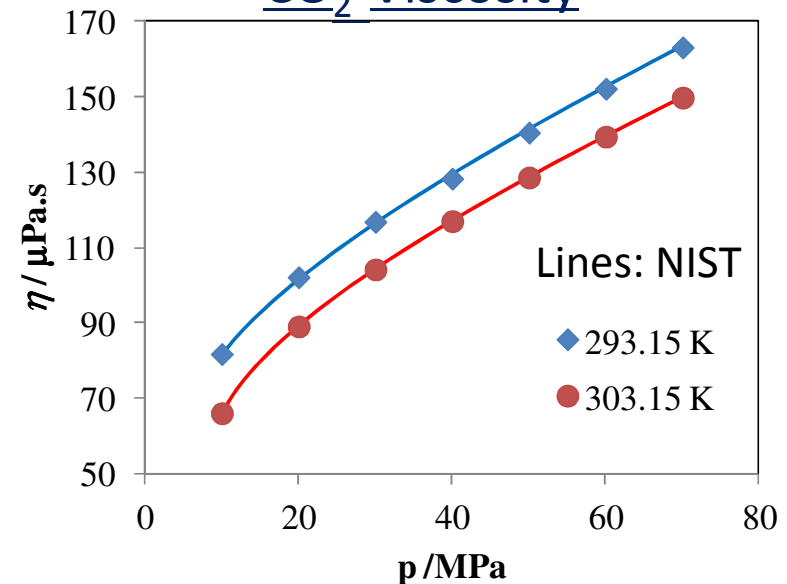
Our apparatus + our experience could allow to obtain accurate data on various “new” refrigerants



H₂S Viscosity



CO₂ Viscosity



NUMERICAL METHODOLOGY

Molecular Model
Force Fields

Molecular Simulations

Molecular Dynamics

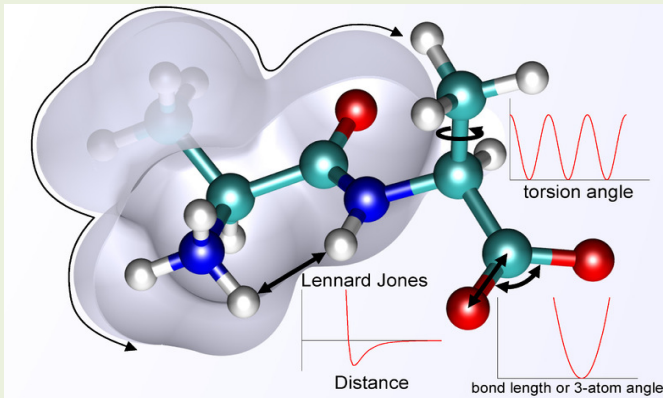
“Exact” emerging properties

$\mu, \rho \dots$

**Test/Development
of Theories**

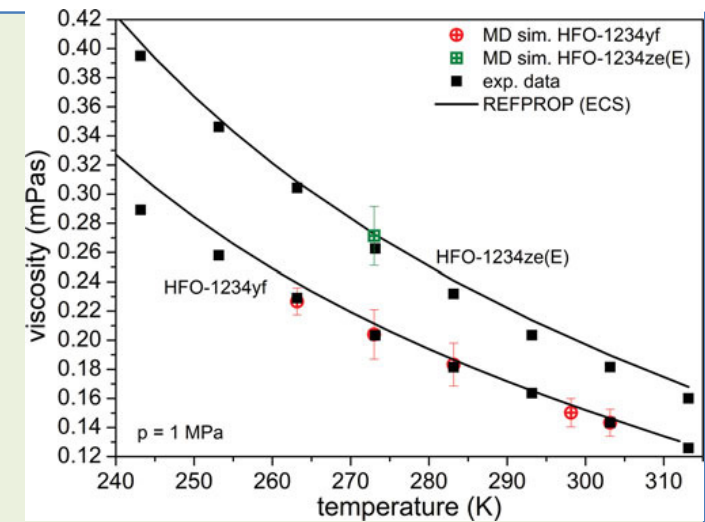
**Pseudo-
experimental Data**

Option 1: Detailed molecular model



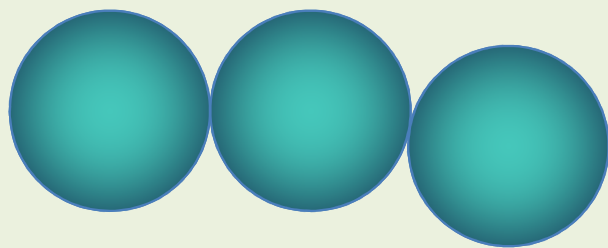
Molecular Simu

Dozens of parameters
Hours to Days



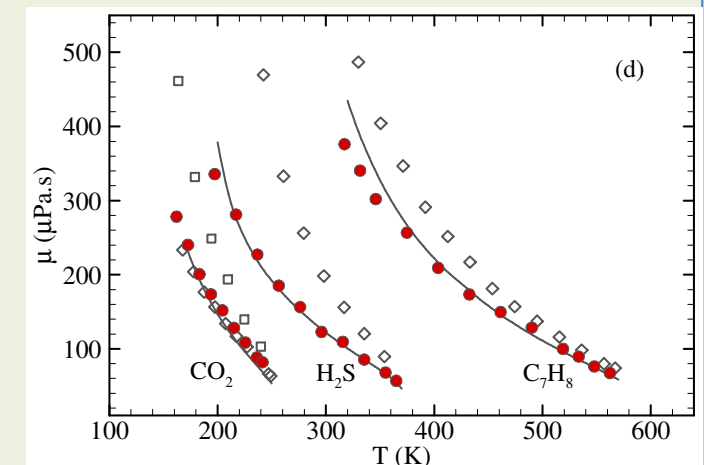
✓ Can produce quasi-experimental thermophysical data *Raabe, 2016*

Option 2: Coarse Grained model



Mol Sim/Theory

3 to 6 parameters
Milliseconds to hours



✓ Is compatible with engineering requirements

Galliero et al., 2017

More details to come in Bernard Rousseau talk ...

MODELING SHEAR VISCOSITY

Correlations

Vogel
Arrhenius

...

Corresp. states

Supertrapp
Lennard-Jones

...

Liquid theory

Free volume
Thermo. scaling

...

Most problems arise when dealing with mixtures !

In dense fluids it has been shown that (*Dyre and coworkers*) :

Transport property

$$\mu^r = F \left(\rho^\gamma / T \right)$$

“Excess” entropy

$$S^r = G \left(\rho^\gamma / T \right)$$

where

$$\mu^r = \mu \frac{\rho^{-2/3}}{\sqrt{Mk_B T}}$$

$$S^r = \frac{S - S_0}{Nk_B}$$

γ is a material property constant (can be deduced from fluctuations)

On a isomorph, ρ^γ / T , viscosity and entropy are constant !



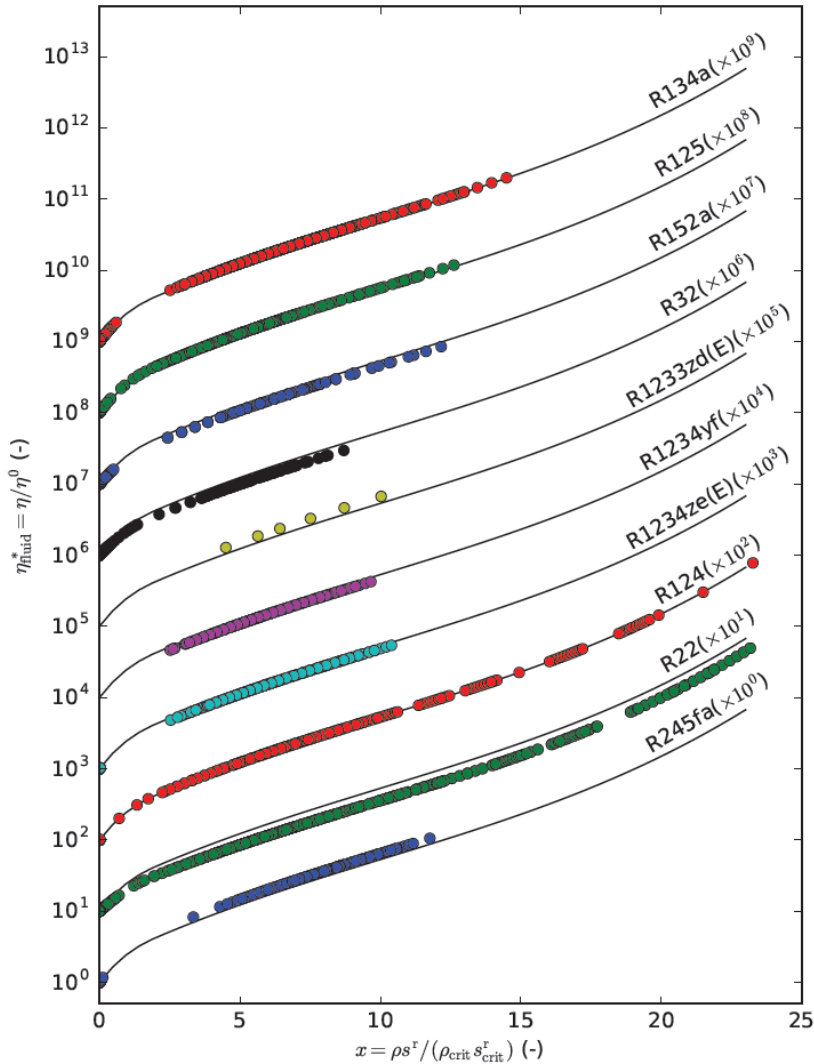
$$\mu^r = \alpha e^{-\beta S^r}$$

(*Rosenfeld, PRA, 1977*)

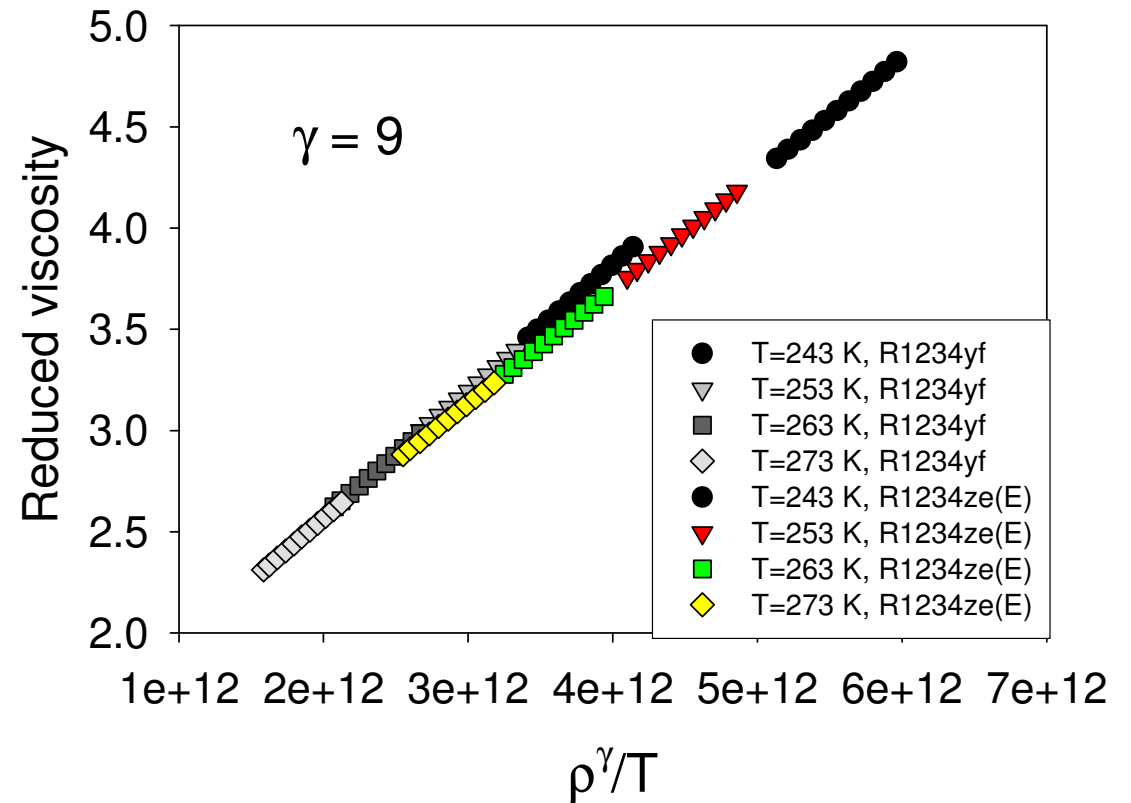
This approach is applicable to many fluids including refrigerants

(*Galliero et al., Gross et al. ...*)

Excess entropy scaling (Bell, 2016)



Thermodynamic scaling (REFPROP 9.1)



Is interesting to check data consistency and to develop correlations

Extension to mixtures in progress

CONCLUSIONS



Among required thermophysical properties to design cold production systems, viscosity should not be forgotten

Accurate data are scarce for « new » fluids, in particular on mixtures



Additional measurements are required (and feasible) !

Molecular simulations could be a viable alternative

Even if still largely correlative, new models are available to estimate shear viscosity of a large class of fluids

Thank you for your attention

